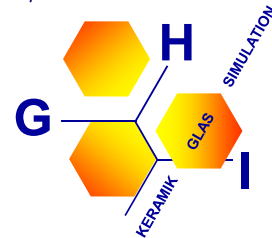


Analysis of the Physical Constraints of Performance of Fossil Fuel Fired Glass Furnaces

R. Conradt

14th International Seminar on Furnace Design, Operation & Process Simulation
Velké Karlovice, Czech Republic, June 21-22, 2017

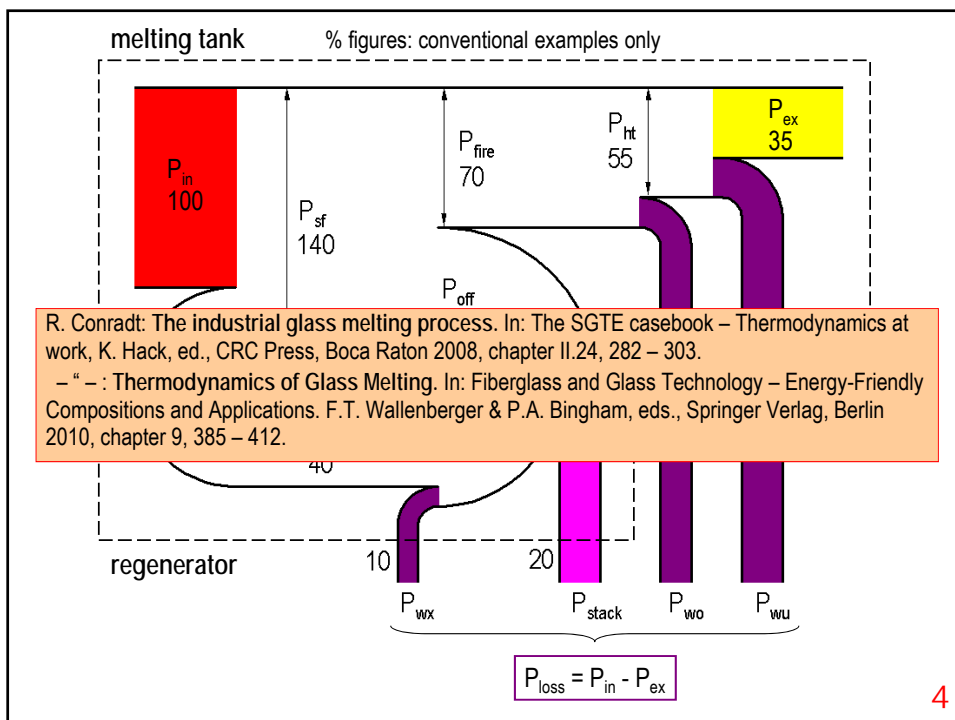
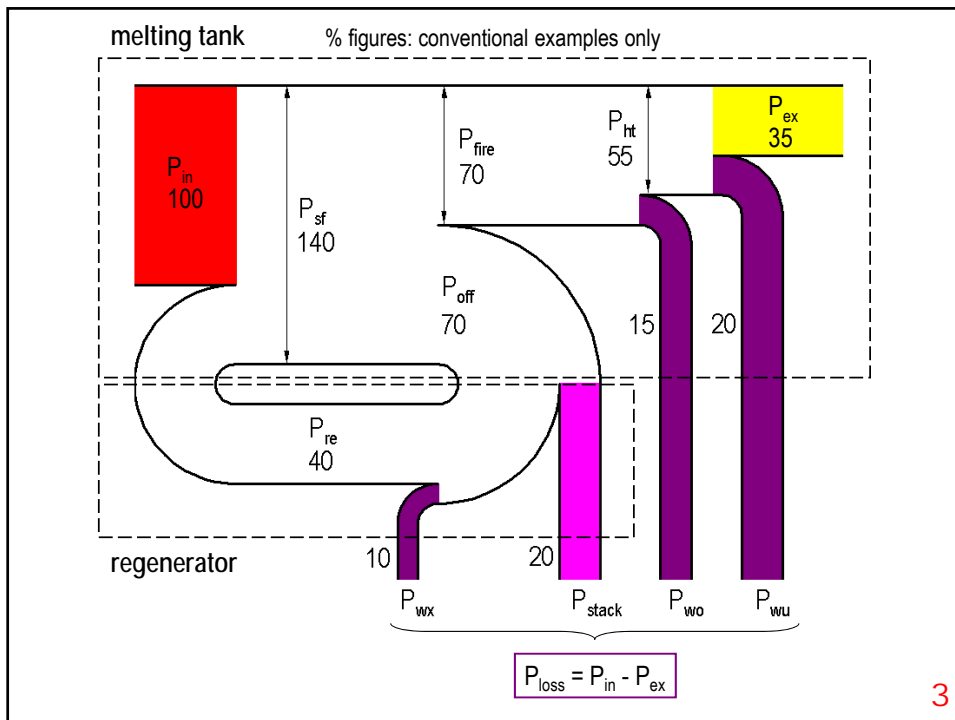


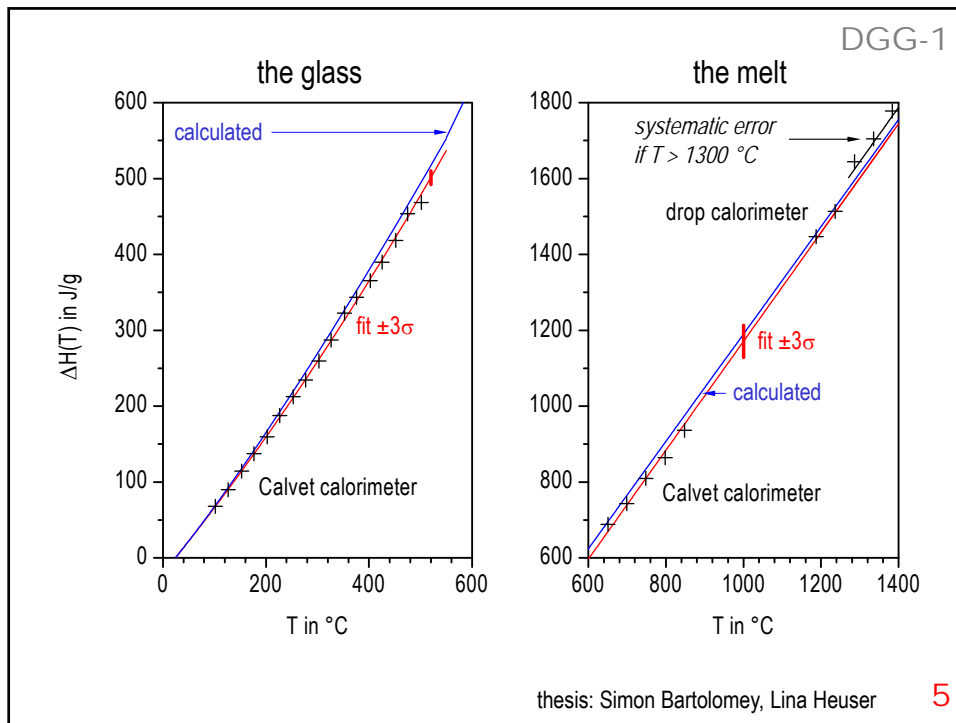
Wed. June 21, 09:45-10:15 h
conradt@ghi.rwth-aachen.de

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energetics

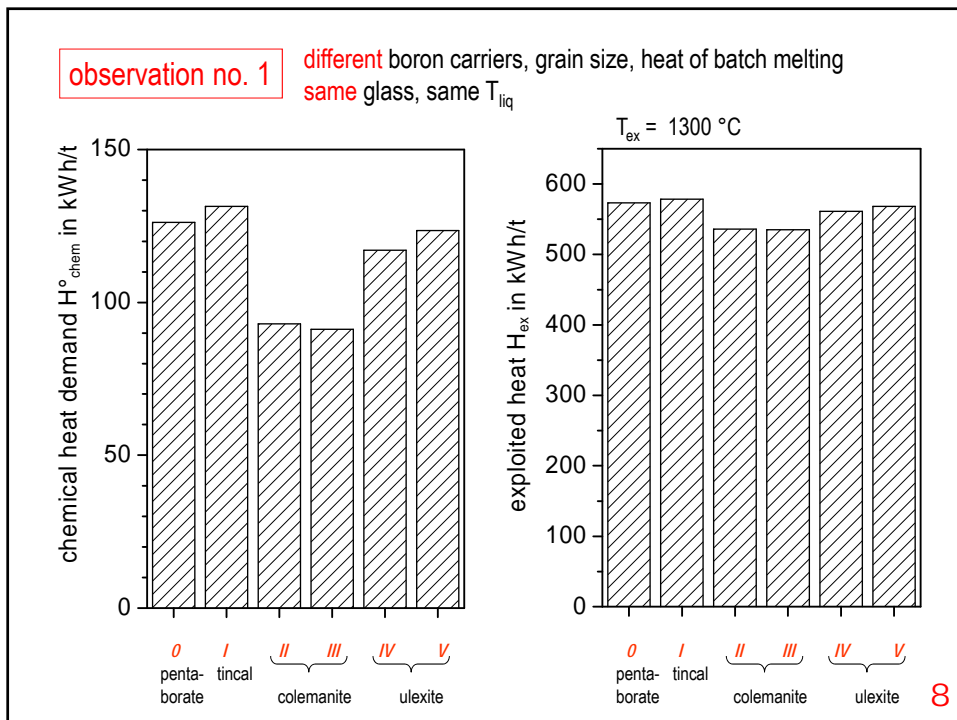
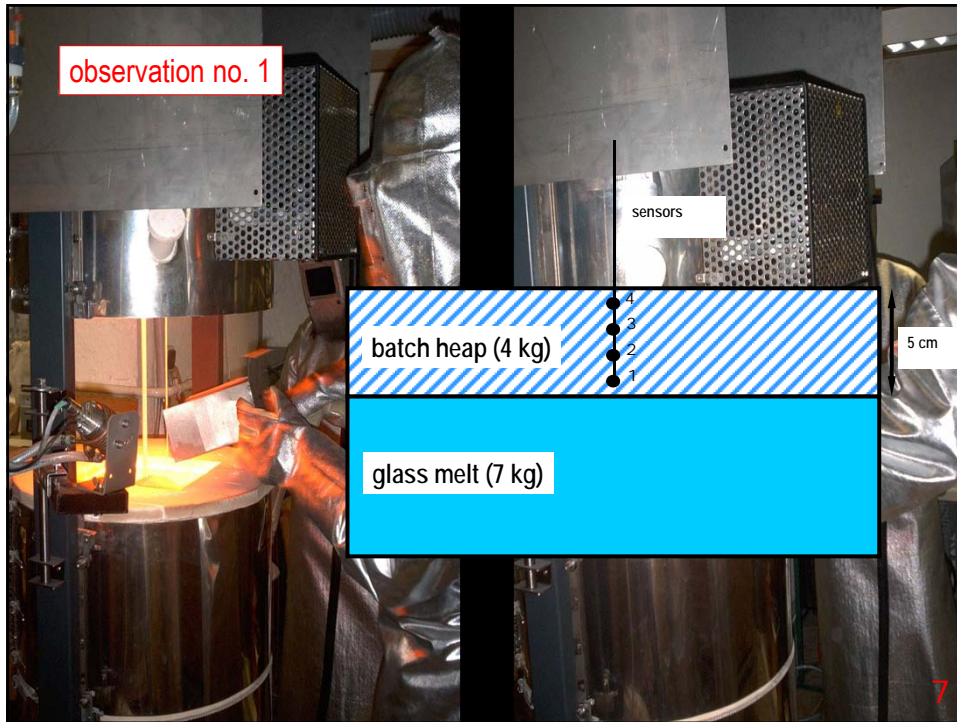
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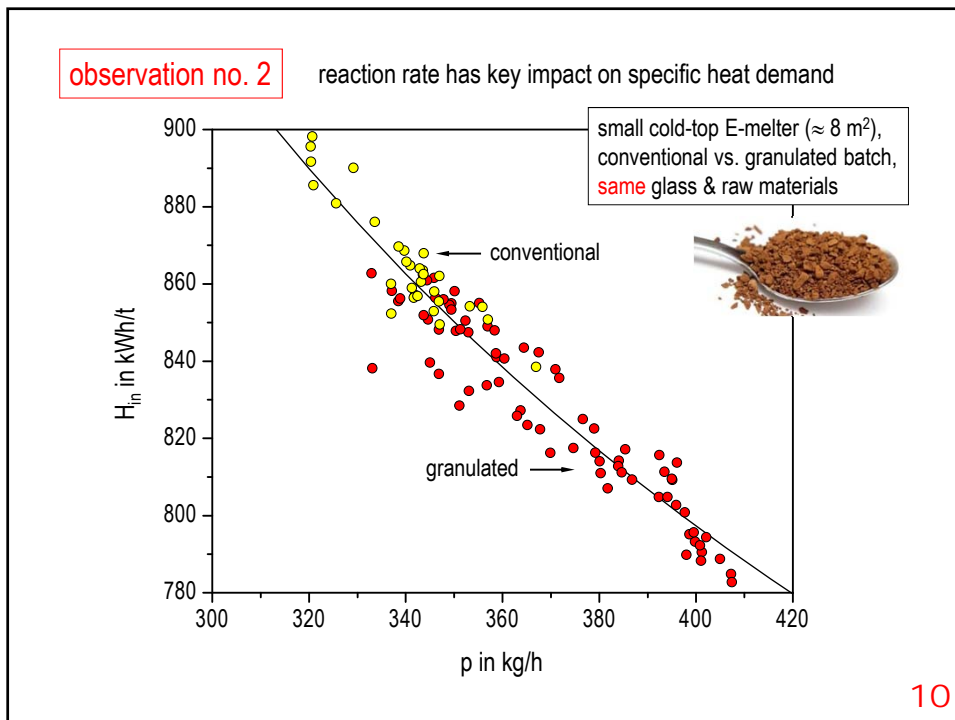
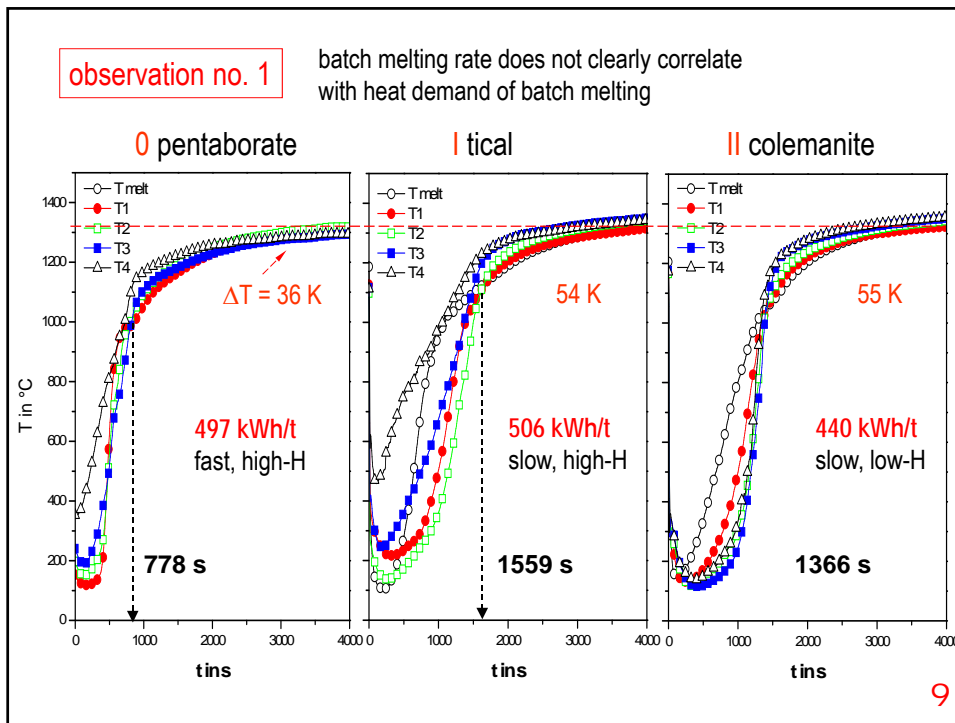


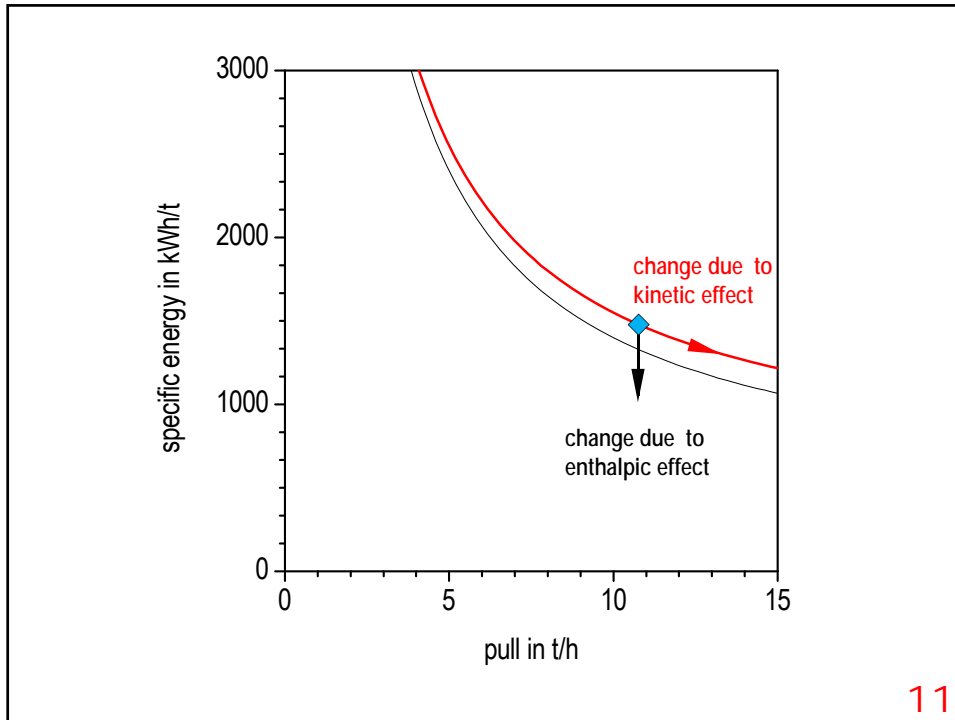


energy vs. conversion rate

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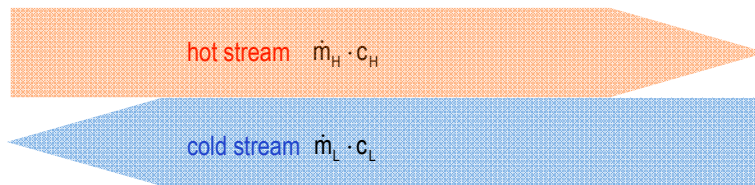
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observation no. 3

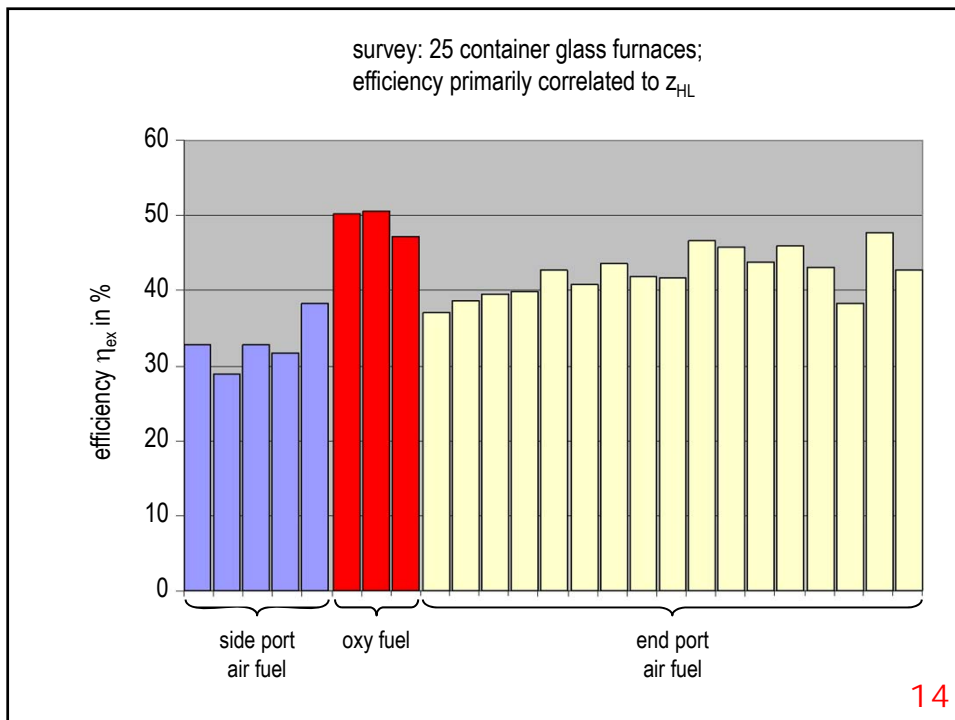
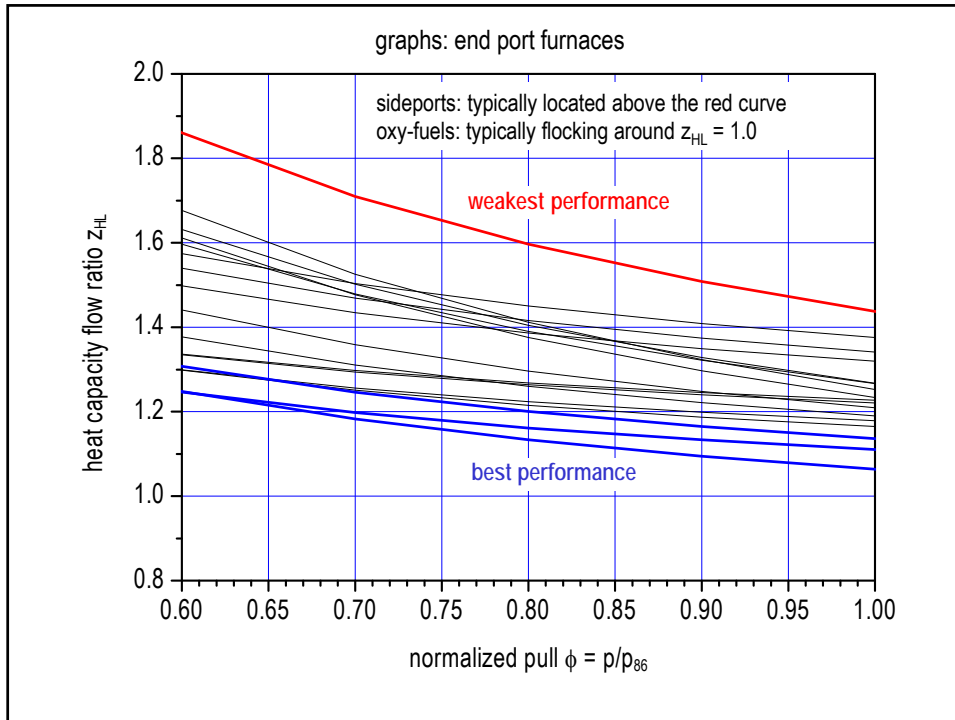
furnace design and operation play a key role

heat capacity match

$$z_{HL} = \frac{\text{available power in combustion space}}{\text{power uptake capacity of melt}}$$

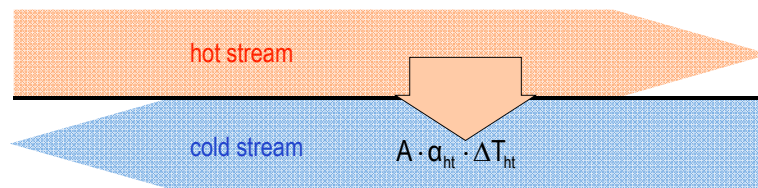


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What is the role of heat transfer?

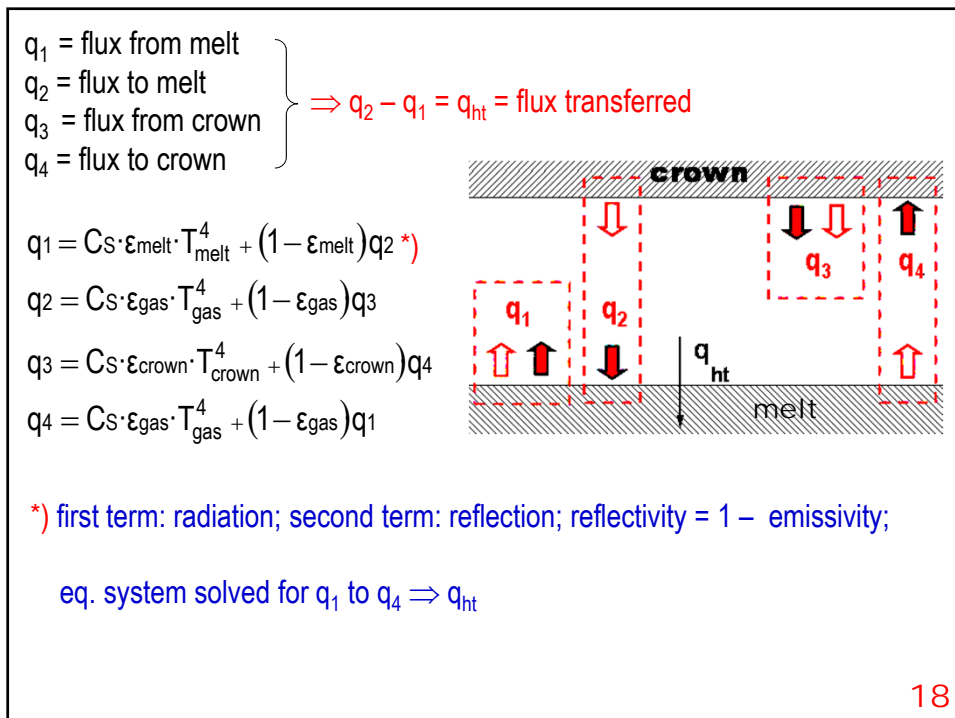
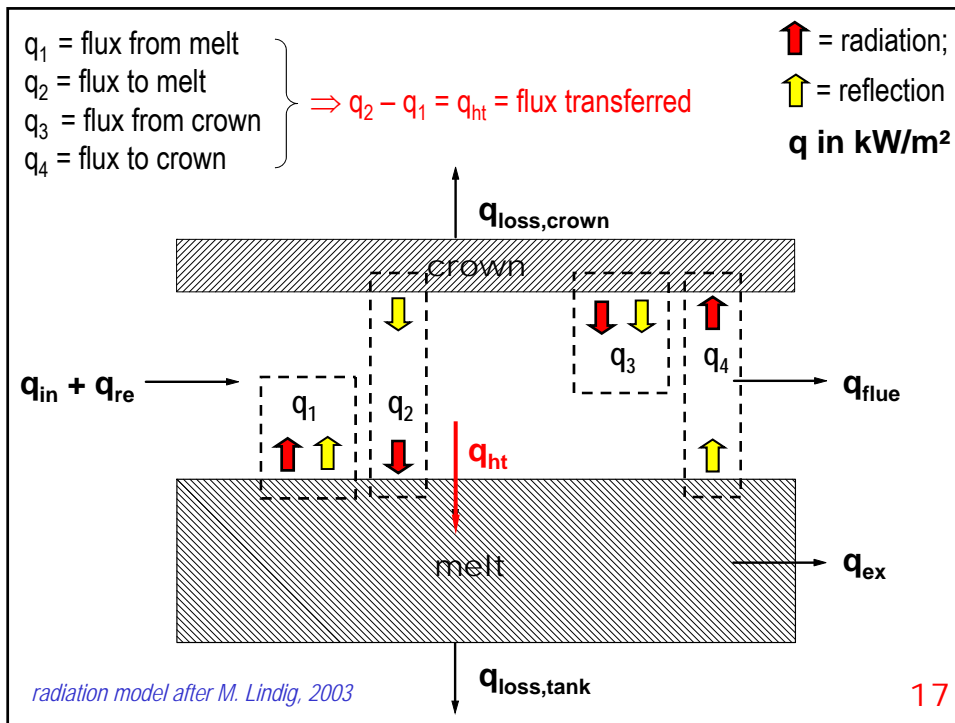
$$NTU = \frac{\text{power transfer through hearth area } A}{\text{available power in combustionspace}}$$

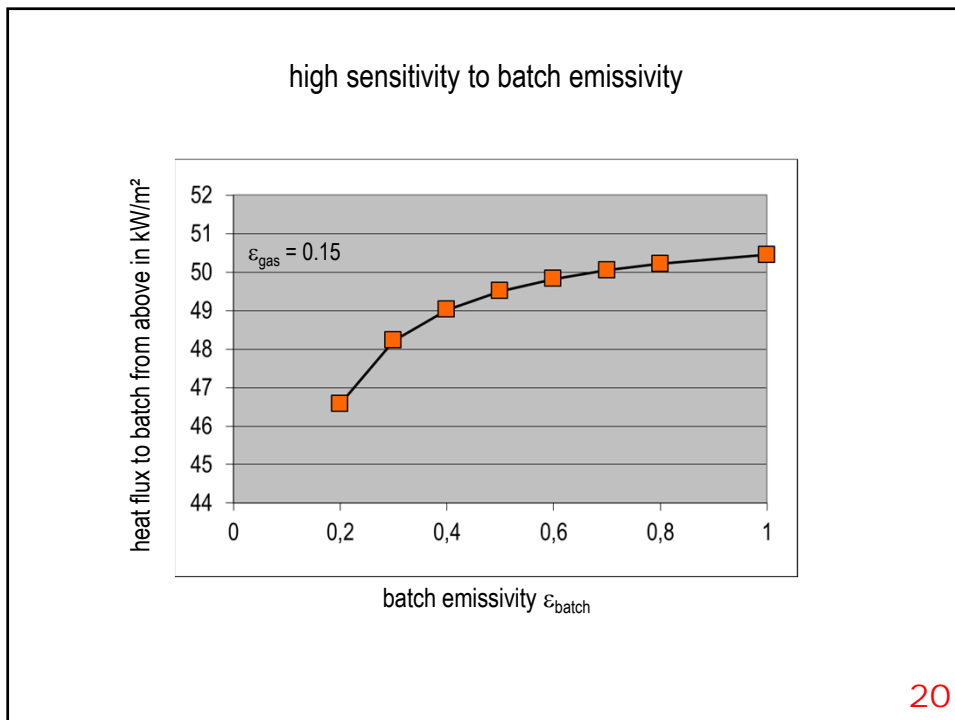
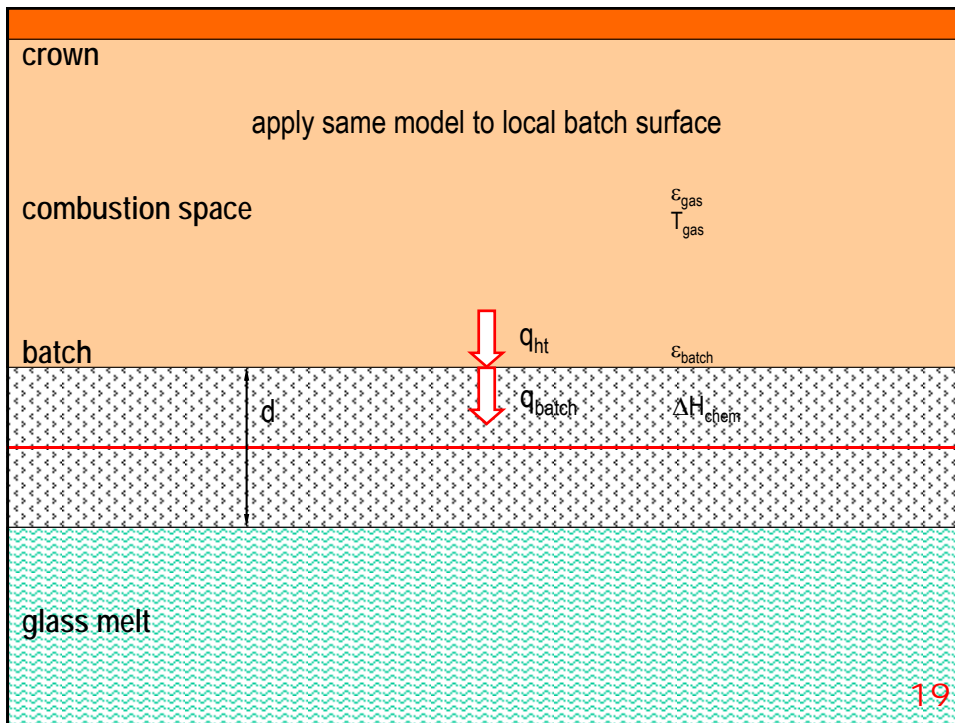


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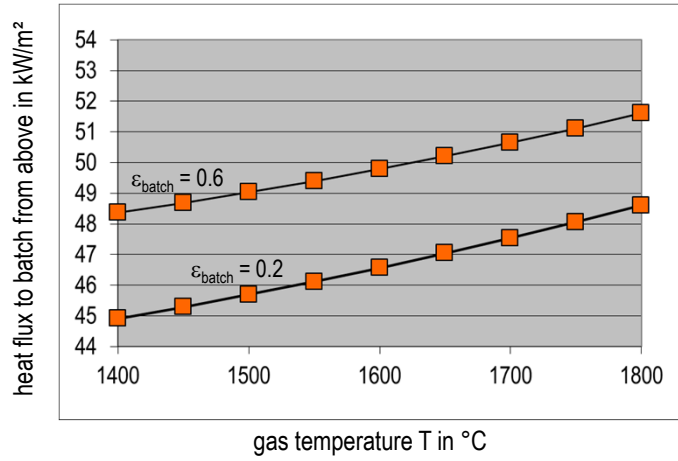
heat flux to the batch

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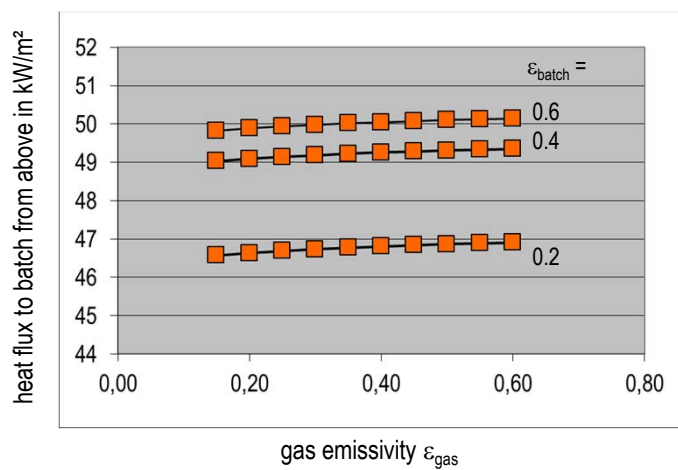


moderately high sensitivity to gas temperature



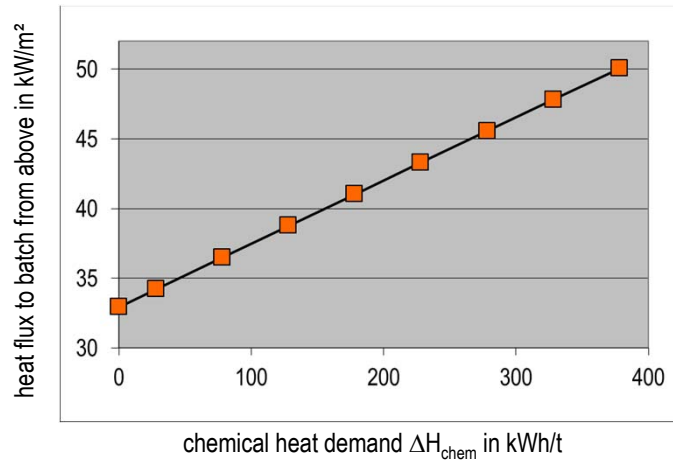
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no sensitivity to gas emissivity during batch melting



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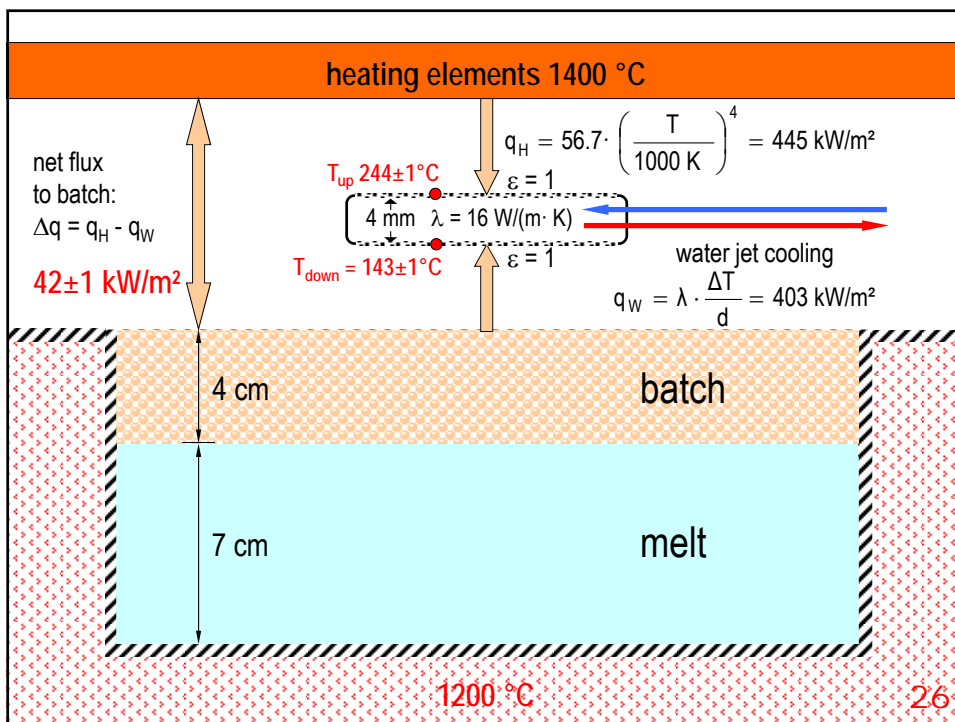
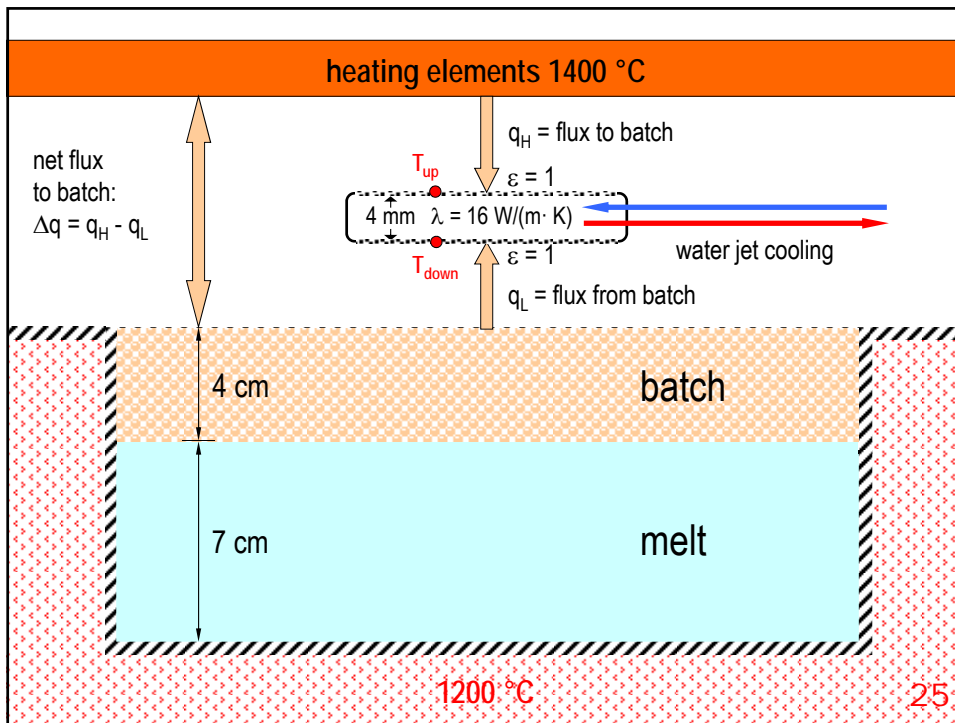
high sensitivity to chemical heat demand

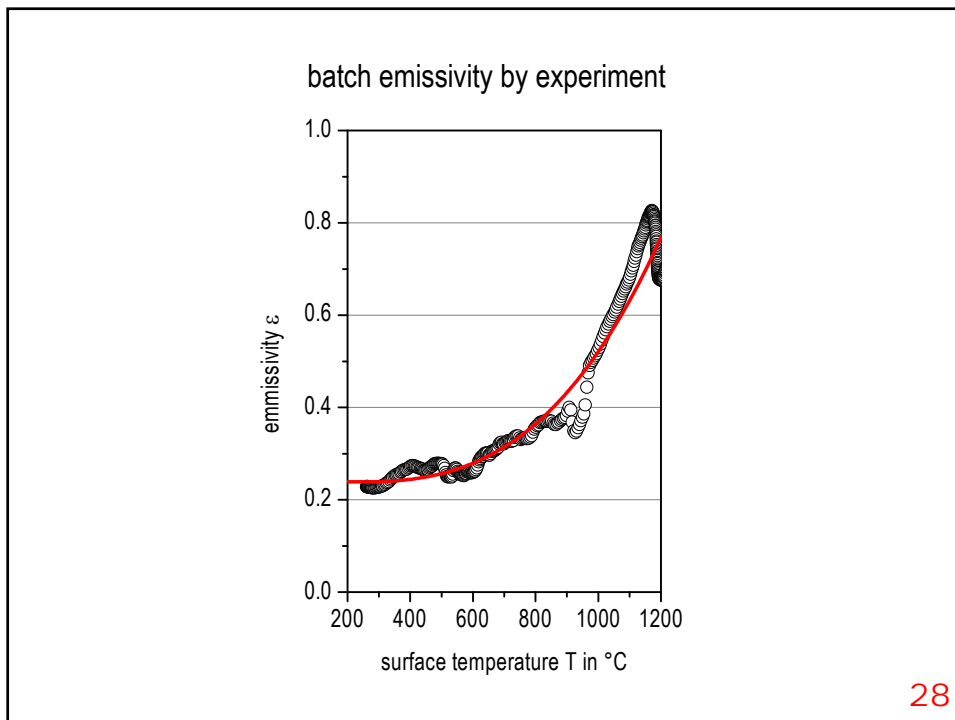
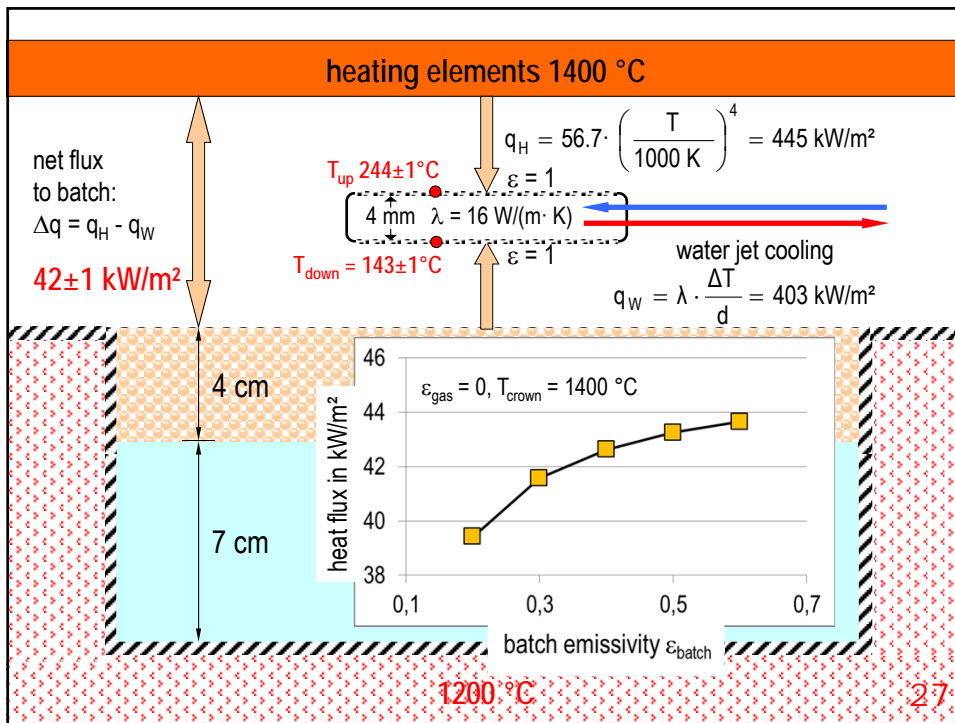


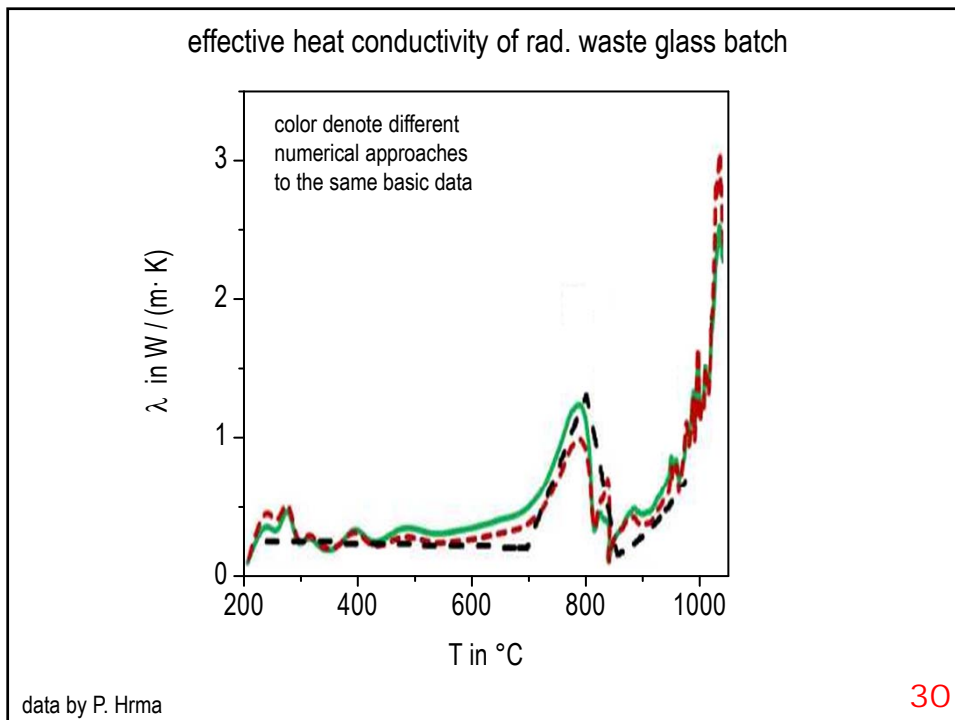
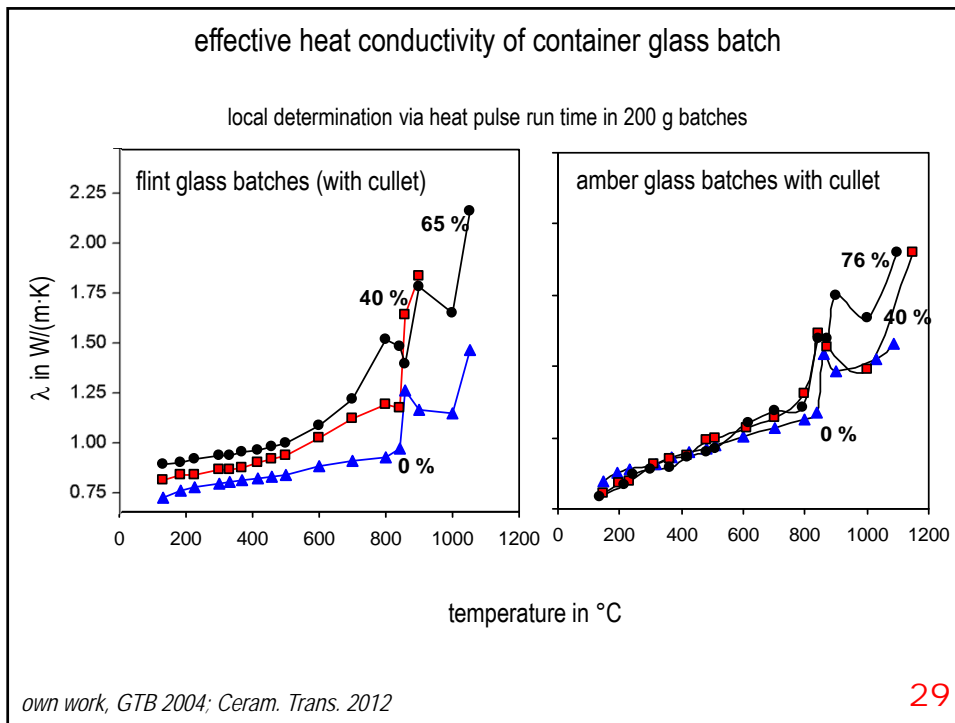
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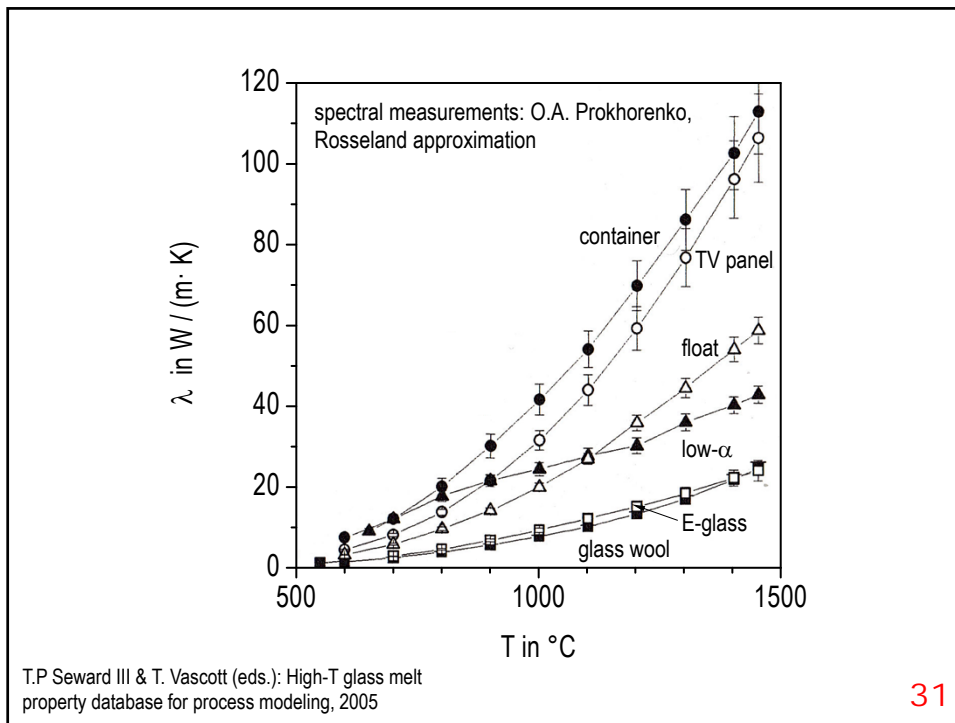
experimental check

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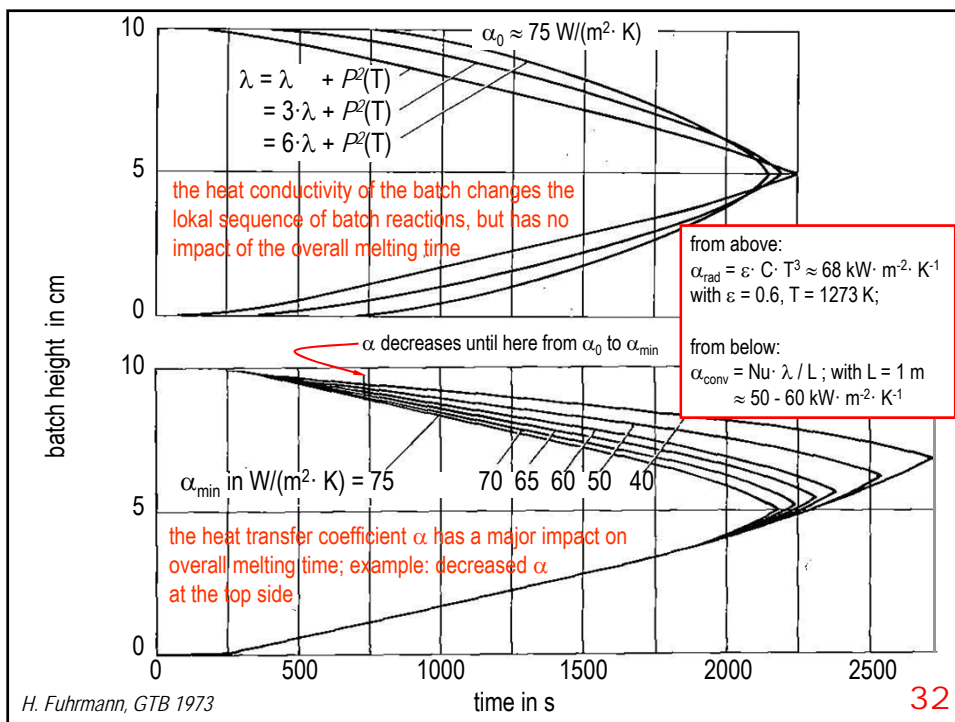








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the rate determining step

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$$\frac{1}{\alpha_{rad}} \quad L \cdot \frac{1}{\lambda_{eff}} \quad \frac{1}{d \cdot c_p \cdot \rho} \cdot \frac{1}{\omega}$$

$$\alpha_{eff} = \frac{1}{\frac{1}{\alpha_{rad}} + L \cdot \frac{1}{\lambda_{eff}} + \frac{1}{d \cdot c_p \cdot \rho} \cdot \frac{1}{\omega}}$$

heat transfer: α_{rad} in $W / (m^2 \cdot K)$
 heat conduction: λ_{eff} in $W / (m \cdot K)$
 local reaction rate: ω in s^{-1}

thus, we have to compare:

$$\alpha_{rad}, \frac{\lambda_{eff}}{L}, d \cdot c_p \cdot \rho \cdot \omega$$

the smallest one it rate controlling

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$$c_p \cdot \rho \approx 1.9 \frac{MJ}{m^3 \cdot K}; \quad \omega \approx \frac{1}{t_{BFT}} \approx \frac{1}{40 \text{ min}} = 4.2 \cdot 10^{-4} s \Rightarrow d \cdot c_p \cdot \rho \cdot \omega \approx 80 \frac{W}{m^2 \cdot K}$$

critical at later stage;
design fast conversion batches

$$\lambda_{eff} \approx 0.5 \dots 2 \frac{W}{m \cdot K} \Rightarrow \frac{\lambda_{eff}}{L} \approx 20 \frac{W}{m^2 \cdot K} \rightarrow d \cdot c_p \cdot \rho \cdot \omega$$

critical at early stage; shorten early stage by batch preheating; pellets; transparent cullet; low-H batches

from previous analysis $\Rightarrow \alpha_{rad} \approx 60 \dots 200 \frac{kW}{m^2}$

critical at too low T_{gas} only;
gas emissivity has no impact during the stage of batch melting

interim conclusion

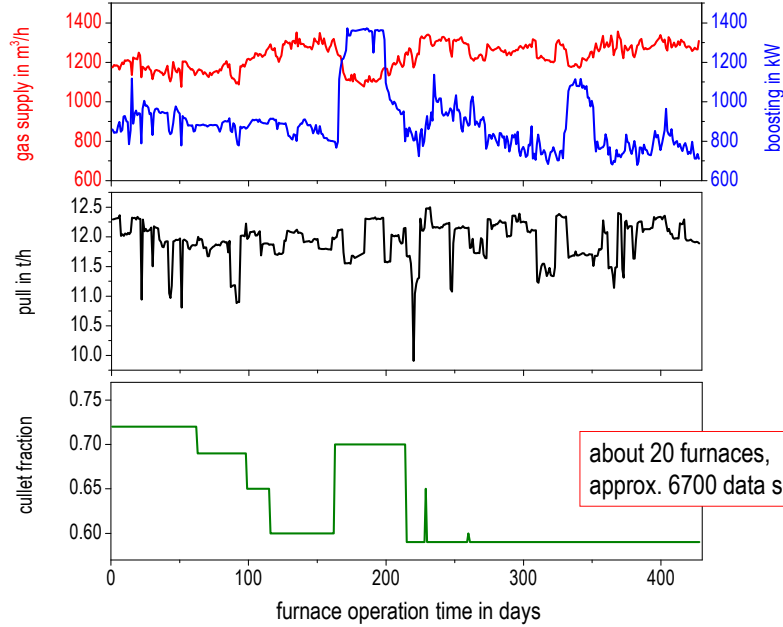
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the rate determining step:
how to check it in a real
industrial situation ?

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Example: 97 m² end port fired furnace, air-gas, green:

fuel input, fuel composition, boost, pull; pull temperature; batch composition & cullet fraction



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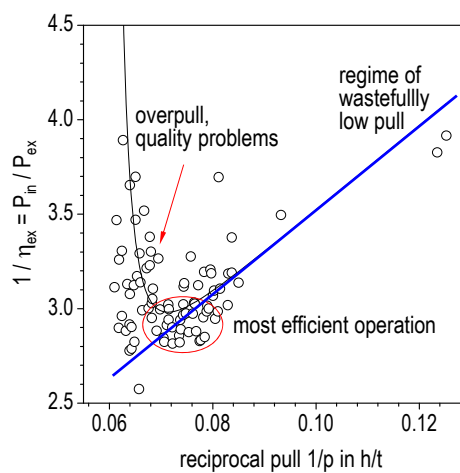
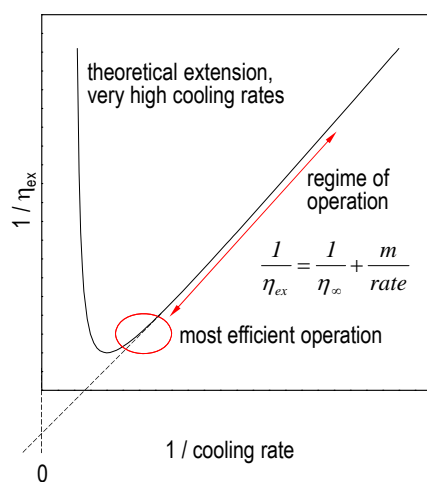
thermodynamic modeling of chillers

Gordon & Ng, J. Appl. Phys 1994

η_{ex} = coefficient of performance

glass furnace

Cr green conrainer, < 13.5 t/h, 94 m², 5 years

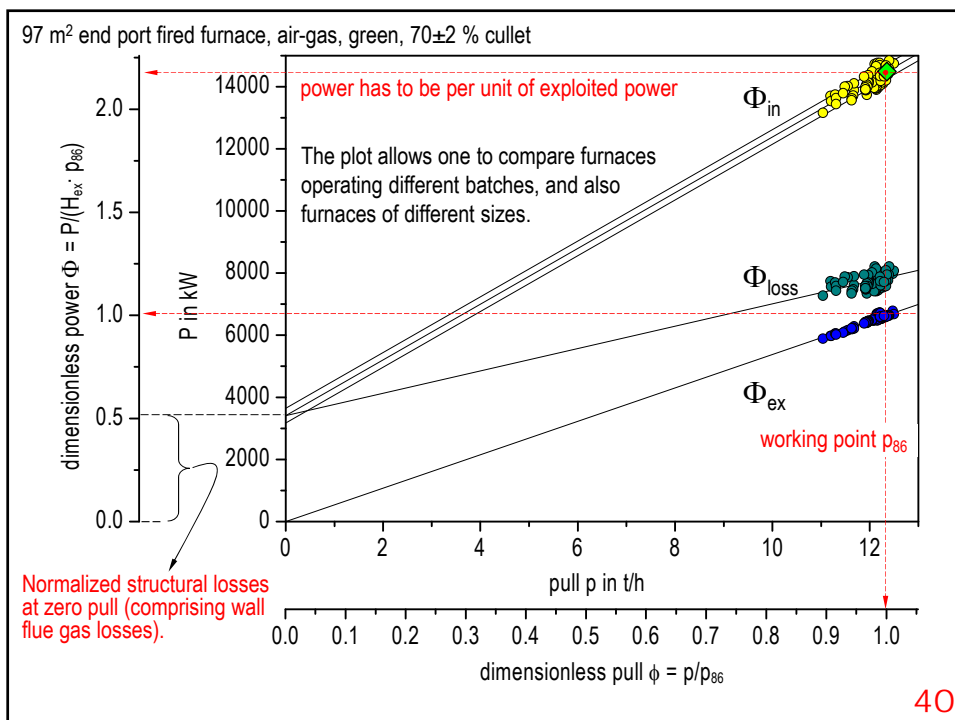
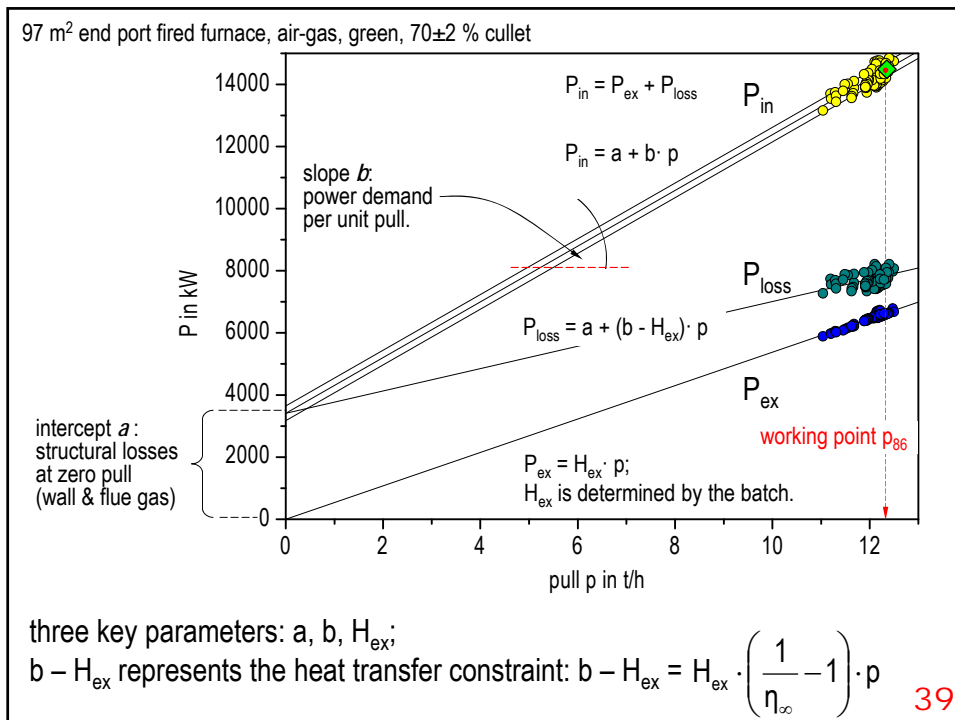


Three constants only:
intercept $1/\eta_{\infty}$, slope m , ΔH^{vap}

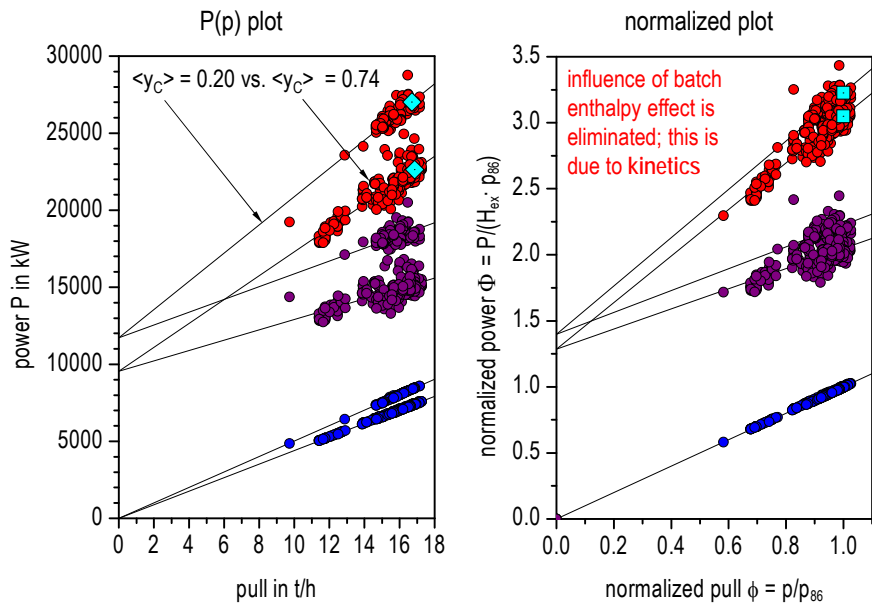


$$P_{in} = m \cdot H_{ex} + \frac{H_{ex}}{\eta_{\infty}} \cdot p = a + b \cdot p$$

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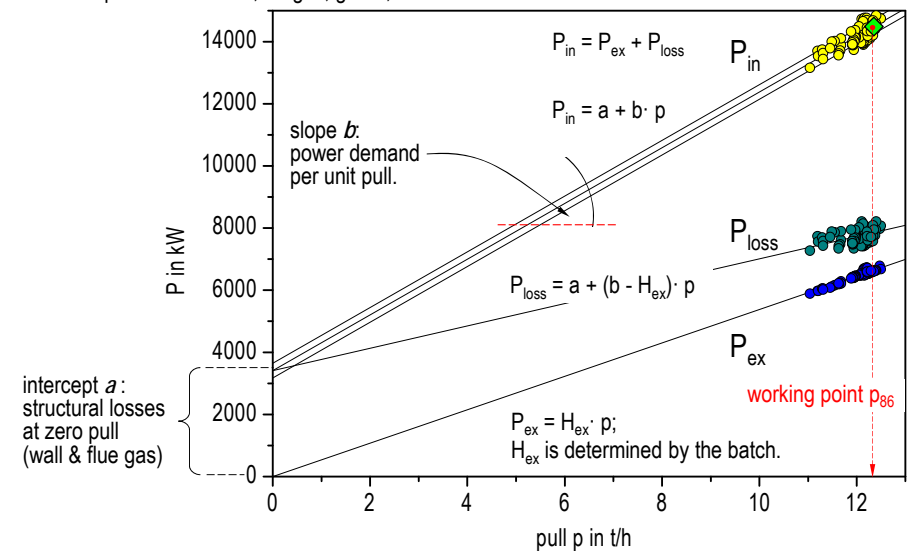


side port furnace, air-gas, 180 m², 5 colors comprising amber



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97 m² end port fired furnace, air-gas, green, 70±2 % cullet

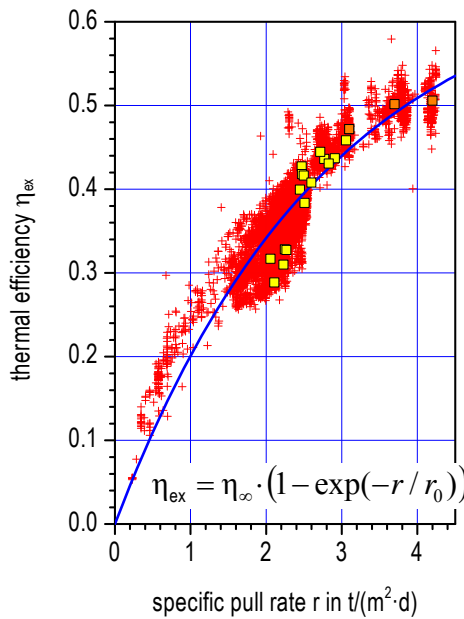


three key parameters: a , b , H_{ex} ;

$b - H_{ex}$ represents the heat transfer constraint: $b - H_{ex} = H_{ex} \left(\frac{1}{\eta_{\infty}} - 1 \right) \cdot p$

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evaluation of 6700 data sets, 20 container glass furnaces, over 2 - 4 years, 10 - 90 % cullet



two main constraints:
heat transfer

$$\eta_{\infty} = 0.68 \pm 0.01 \text{ *)}$$

Z_{HL} overrules α_{ht}

chemical turnover rate

$$r_0 = 2.83 \pm 0.05 \text{ t / (m}^2 \cdot \text{d)}$$

*) It is the upper limit of efficiency of heat exploitation in any thinkable process using fossile fuel as only energy source:

$$\eta_{\infty} \approx 1 - \sqrt{\frac{T_0}{T_{ad}}} = \eta_{C.A.}$$

$\eta_{\infty} = 0.67$ for air-fuel, and 0.69 for oxy-fuel.

Only electrical heating, due to high Fermi Temperature of electrodes

$$\eta_{\infty} \approx 1 - \sqrt{\frac{T_0}{T_{FERMI}}} \rightarrow 1$$

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Thank you
for your kind attention!

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